

# Ross-Arctos Sports Franchise Index (RASFI)

## Methodology

[May 14, 2024]

### Introduction

Ross-Arctos Sports Franchise Index (RASFI) represents the first-ever data-driven benchmark of investment performance of North American sports franchise assets. RASFI serves sports industry investors, asset owners, league and team executives, and the wider sports business community as a universal standard for investment performance in the largest North American leagues (the “Big Four”): Major League Baseball (MLB), National Basketball Association (NBA), National Football League (NFL), and National Hockey League (NHL).

Sports franchises are privately held assets that trade in an opaque, illiquid market. Recognition of sports franchises as an alternative asset class, akin to private equity, venture capital, or infrastructure, has brought increased focus and transparency on what franchises are worth and why. We hope RASFI furthers this understanding.

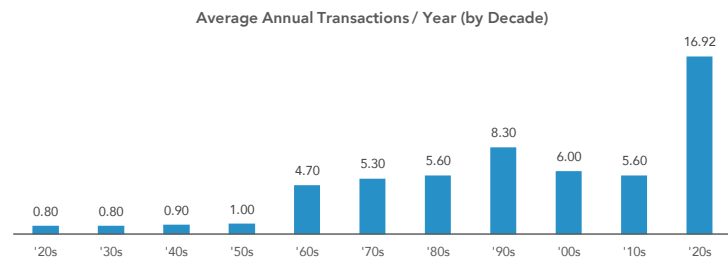
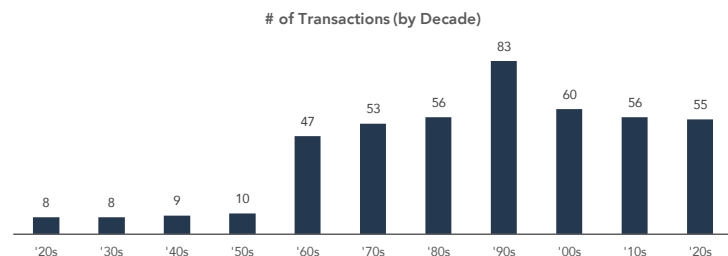
### Data

Our full data set comprises over 445 transactions within the Big Four beginning in 1923. Our transaction data set includes all documented full and partial control and non-control transactions, as well as expansion franchises for which expansion fee data is available.

Our main variable of interest is the Franchise Value (Total Enterprise Value) implied by the transaction.<sup>1</sup> Data is predominantly sourced from press releases, news articles, and other public sources, where transaction information representing Total Enterprise Value or

Figure 1.

Decade	Yrs	Transactions	Annual Average	Average TEV
'20s	10.00	8	0.80	0.01
'30s	10.00	8	0.80	0.02
'40s	10.00	9	0.90	0.51
'50s	10.00	10	1.00	0.78
'60s	10.00	47	4.70	4.88
'70s	10.00	53	5.30	10.27
'80s	10.00	56	5.60	40.12
'90s	10.00	83	8.30	147.77
'00s	10.00	60	6.00	311.06
'10s	10.00	56	5.60	858.70
'20s	3.25	55	16.92	2,194.41
<b>Full Sample</b>	<b>103.25</b>	<b>445</b>	<b>4.31</b>	<b>455.60</b>
<b>Research Sample ('60s+)</b>	<b>63.25</b>	<b>410</b>	<b>6.48</b>	<b>494.46</b>



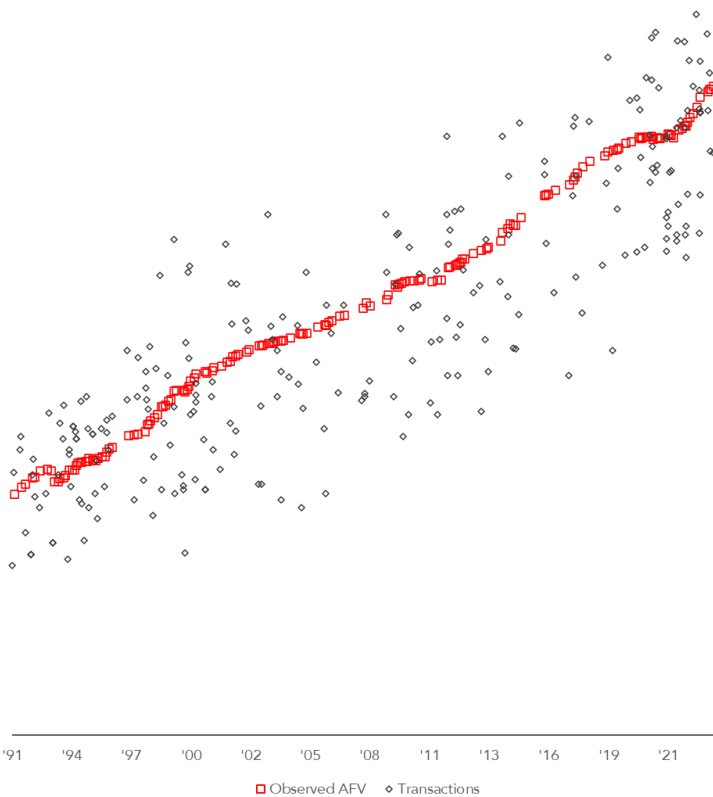
Source: Arctos, U. Michigan Ross. As of May 2024.

<sup>1</sup> Total Enterprise Value is defined as the total value of all outstanding corporate equity and debt liabilities.)

information from which Total Enterprise Value could be computed was available. We believe this data is subject to meaningful and unavoidable noise in the process of reporting; however, as we review, our methodology seeks to explicitly correct for measurement error introduced by the reporting process (among other sources).

Our research sample excludes the earliest four decades, where information was particularly thin. Transaction rates have been consistent since 1960 (~50-60 per decade) and have grown considerably in the first three years of the 2020s. We utilize this as our main research sample.

Figure 2. Average Franchise Value vs. Actual Data (log scale)



time-varying regression horizon, we utilize these four models and take a simple average of the model predictions to improve robustness.

$$\log(V_T) = \gamma_0 + \gamma_1 \log(Rev_T) + \gamma_2 \log(Mkt_T) + (NonControl = 1) + League F.E. + \varepsilon_T$$

The average adjusted R<sup>2</sup> across all windows and transactions  $T$  is 0.791; average adjusted R<sup>2</sup> across all windows and transactions  $T$  over the last ten years is 0.875.

We then define the observed Average Franchise Value in month  $t$   $AFV_t$  as the model-predicted Franchise Value of the “average franchise”, i.e., using the simple average prior season revenue and estimated market size (MSA population) as inputs, setting  $NonControl$  equal to zero and using the average league fixed effect

## Methodology

Our goal is to produce a high frequency (quarterly) estimate of the average Big Four Franchise Value (Total Enterprise Value) using our main sample of 410 transactions. In addition to Franchise Value, we have sparse estimates of prior season franchise revenue and market size (Metropolitan Statistical Area population in millions), with more consistent data availability for revenue beginning in 1980. We use revenue and market size as our main covariates.

We utilize two methodologies, driven by data availability.

**State Space Model (1991+).** For observations after 1991, where we have more consistently covariate data available, we use rolling 30, 40, 50, and 60-trailing window panel regressions using revenue, market size and league as a fixed effect. Given low sample sizes and the

as our intercept.<sup>2</sup> The result is a sparse monthly time series of imputed average Franchise Values over 388 months beginning in December 1991 (221 missing months).

Our imputed Average Franchise Value is slightly higher than the observed data (Figure 2). This is driven by skewness in the distribution of revenues and market sizes across franchises in the same leagues and the time-varying premium earned by control transactions (our focus in RASFI); a small percentage of our sample represents non-control transactions that tend to transact at a discount relative to control transactions (all else equal).

To create a quarterly index, we utilize a state space model and use a standard Kalman filter to estimate average franchise value as a latent state. Our model is simple and based on the following observations:

1. The best barometer of overall industry health is total revenue (growth), which is itself not particularly correlated with other macroeconomic, financial, or asset price variables.
2. Simple tests of contemporaneous market return in a similar filter model result in factor loadings insignificantly different from zero – i.e., short-term market price movements do not have a significant influence on sports valuations.

As such, our state space model, which we estimate monthly, is as follows:

$$v_t = v_{t-1} + w_t + \eta_t, \quad \eta_t \sim N(0, \sigma_\eta^2)$$

$$v_t^{obs} = v_t + \varepsilon_t, \quad \varepsilon_t \sim N(0, \sigma_\varepsilon^2)$$

Where  $v_t^{obs} = \log(AFV_t/AFV_{t_0})$  and  $w_t, v_t$  is our latent state (the RASFI index value in logs), the random walk drift term, is estimated as a linear model of monthly (log) revenue growth:

$$w_t = a + b * \log r_t$$

Where  $r_t = Rev_t/Rev_{t-1}$ . In other words, we model our monthly transaction observations as a noisy signal of underlying (true) average franchise value, which grows according to a random walk whose trend component is a linear function of average franchise revenue growth.

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<sup>2</sup> Our data sources are as follows: public sources for estimates of franchise revenue (Forbes, Sportico, public releases of historical financial statements, and finally internal estimates); U.S. Census Bureau for market size estimates (population) by Metropolitan Statistical Area (MSA).

We estimate  $v_t | a, b, \sigma^\eta, \sigma^\varepsilon$  using a Kalman filter. We treat  $a$  and  $b$  as unknown constants and part of the state space vector. We set our initial state value equal to zero, as it represents a cumulative log return. We use an exact uninformative diffuse initialization for the covariance matrix per the method of Koopman and Durbin (2003), and we assume initial parameters  $(a_1, b_1, \sigma_{\eta,1}^2, \sigma_{\varepsilon,1}^2) = (0.3, 1.0, 0.01, 0.01)$ . As of initial index launch (March 31, 2024), our model suggests a high and significant  $b$  of  $\sim 1.152$  and unexplained return  $a$  of  $\sim 0.00259$  per month, implying 3.2% annual return above that implied by our revenue growth factor.

Figure 3a.  $v_t$  over time

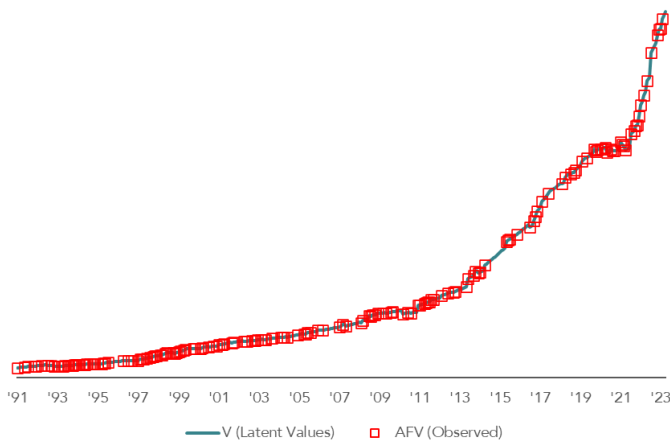
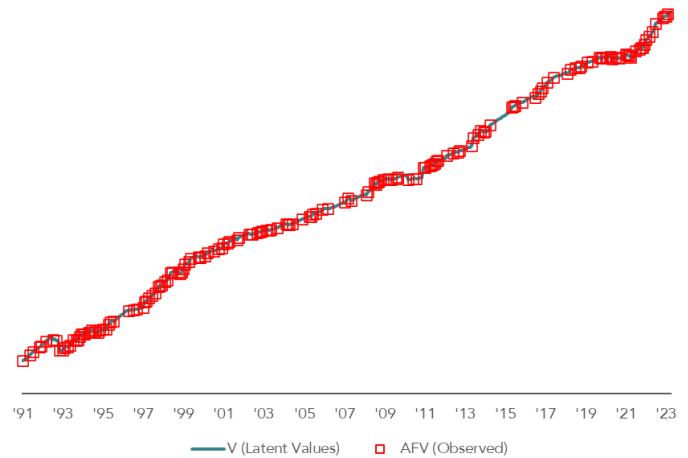


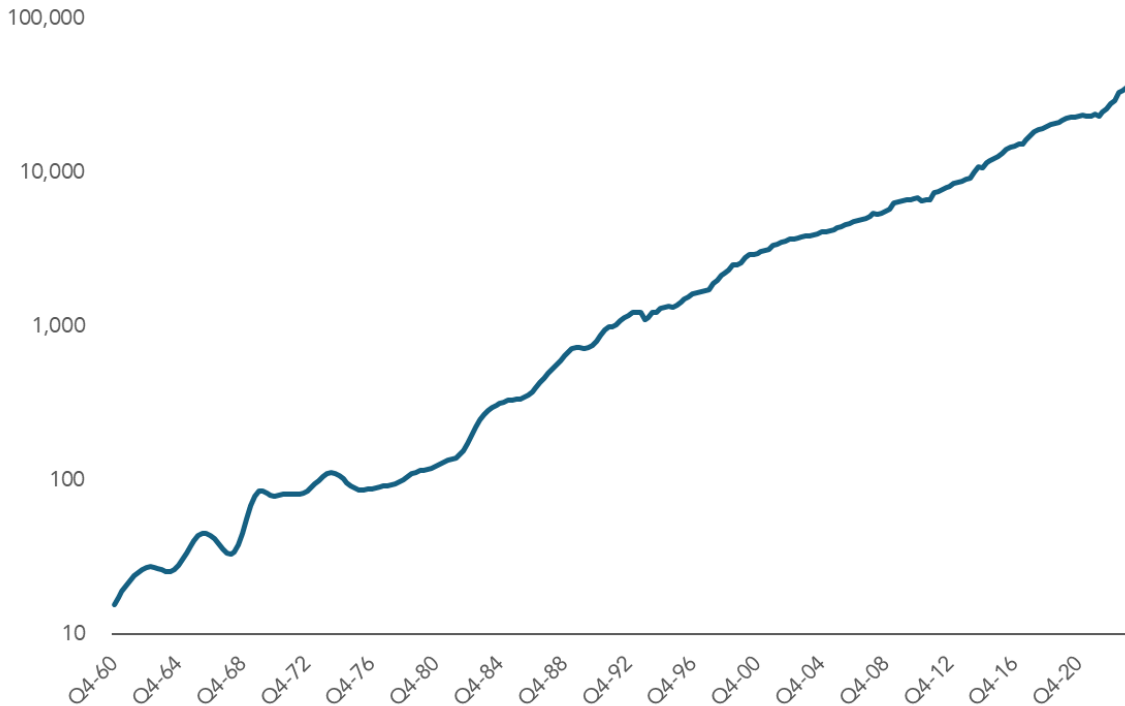
Figure 3b.  $v_t$  over time (log scale)



**Repeat Sales (Extension back to 1960).** We use a Case Shiller method repeat sales model to annually extend the index back to 1960, anchoring each value to the December 31<sup>st</sup> date of each year. This extends our index back to December 31, 1960. Our sample includes 277 transaction pairs and ends in 2023. We then use spline interpolation to create a quarterly result, with the annual coefficients from the initial repeat sales index representing the June 30, YY dates (mid-year). Finally, the resulting index is negatively autocorrelated on an annual basis; hence, we exponentially smooth the result so that serial correlation is zero ( $\alpha = 0.6$ ).

**Final Index.** The final product is the combination of the Repeat Sales observations to December 31, 1991, followed by the SSM-imputed index, which we track quarterly, starting in December 31, 1991. The December 31, 1991 anchor date value is set to equal 1,000 (Figure 4).

Figure 4. Full RASFI (Dec-91 = 1,000)



### Important Considerations

Interpreting movements in RASFI should be done with the following disclaimers in mind:

1. RASFI represents an *unlevered price* return index: it does not capture dividends or net equity issuance / buyback.
2. RASFI is an equally weighted index by construction, with implicit quarterly 'rebalancing'.
3. RASFI is not investible. Our index is an illustrative construction from advanced statistical techniques of the hypothetical performance of the average Big Four franchise.
4. As is common for private asset benchmarks, but unlike most public stock indexes, when RASFI is updated, due to sample updates (incl. backfilled transactions added to the sample), past values of RASFI could change.

### References

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